

1.	Title of the course	Continuum Mechanics
2.	Course number	MA618L
3.	Structure of credits	3-0-0-3
4.	Offered to	PG
5.	New course/modification to	Modification To MA6025/12
6.	To be offered by	Department of Mathematics and Statistics
7.	To take effect from	July 2022
8.	Prerequisite	СоТ
9.	Course Objective(s): To introduce the basic properties of tensors. To relate the laws of physics to the conservation equations of transport phenomena. To solve boundary value problems for fluid, hyper and viscoelastic materials.	
	Course Content: Algebra of Cartesian tensors, index notation, isotropic tensors, invariants of a tensor; Continuum hypothesis, Lagrange strain, Eulerian strain, Cauchy Green strain, polar decomposition theorem, rotation tensor, Reynolds transport theorem, vorticity; Kinematics of deformation, compatibility conditions, balance principles; Cauchy stress, stress invariants, Piola-Kirchhoff stresses; Euler's laws of motion, field equation, conservation laws, first and second laws of thermodynamics, stress-laws of thermodynamics, energy balance; Constitutive equations of fluids, viscoelastic and hyperelastic materials, principles of material objectivity; Solutions to simple boundary value problems, linearized field equations, examples of linear elastic solutions.	
10.	Course Content: Algebra of Cartesian tensor tensor; Continuum hypothesis, Lagrange str decomposition theorem, rotation tensor, Rey deformation, compatibility conditions, balance Kirchhoff stresses; Euler's laws of motion, field of thermodynamics, stress-laws of thermodynamic viscoelastic and hyperelastic materials, prince boundary value problems, linearized field equation	rs, index notation, isotropic tensors, invariants of a rain, Eulerian strain, Cauchy Green strain, polar ynolds transport theorem, vorticity; Kinematics of principles; Cauchy stress, stress invariants, Piola- equation, conservation laws, first and second laws of cs, energy balance; Constitutive equations of fluids, ciples of material objectivity; Solutions to simple tions, examples of linear elastic solutions.
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